Name:		Date:			
Notes Algebra Section 2.7 Pages 110-116					
Goal: "Find the square " "Compare real nu	root of real numbers umbers"	"			
Vocabulary: Square Roots: One of tw	vo equal	of a		·	
Radicand: The	or		inside a _	symbol.	
Perfect Square: The		of an		(will not have a decimal).	
Irrational Number: A	that c	annot be written	ı as a	It doesn't	
Real Numbers: The set	 of all	and		_numbers.	
	radical symbol	$\rightarrow \sqrt{a}$	radicand		
Evaluate: $1^2 =$ $2^2 =$ $3^2 =$ $4^2 =$ $5^2 =$ $6^2 =$ $7^2 =$ $8^2 =$ $9^2 =$ $10^2 =$ Examples: $-\sqrt{81}$ "Take $\pm\sqrt{9}$ "The	List all of the p the opposite of $\sqrt{81}$ $\sqrt{9}$ can be either po	erfect squares: sitive or negative	e"	Evaluate: $\sqrt{1} =$ $\sqrt{4} =$ $\sqrt{9} =$ $\sqrt{16} =$ $\sqrt{25} =$ $\sqrt{36} =$ $\sqrt{49} =$ $\sqrt{64} =$ $\sqrt{81} =$ $\sqrt{100} =$	
Evaluate each expressio	n:	-			
Ex: $-\sqrt{9}$	Ex: $\sqrt{25}$	Ex:	$\pm\sqrt{64}$	Ex: $-\sqrt{81}$	
Ex: $\pm \sqrt{100}$	Ex: $\sqrt{121}$	Ex:	$-\sqrt{400}$	Ex: $\sqrt{16}$	

Exponents with a negative base:

Examples: $(-3)^2$ $(-2)^3$ $(-5)^2$ $(-3)^4$ Ex: $x^2 = 144$ Ex: $x^2 = 64$ Ex: $x^2 = 1$

Approximate Square Roots:

 $\sqrt{40}$ 40 is not a perfect square. The greatest perfect square less than 40 is 36. The least perfect square greater than 40 is 49.

 $\begin{array}{ccc} \sqrt{36} & \sqrt{40} & \sqrt{49} \\ 6 & 7 \\ \text{The } \sqrt{40} \text{ is between 6 and 7.} \end{array}$

Ex: $\sqrt{32}$

Ex: $\sqrt{48}$

Ex: $\sqrt{5}$

Ex: $\sqrt{103}$

Irrational Number:

Classify the following numbers using all names that apply:

Number	Rational?	Irrational?	Integer?	Whole?
$\sqrt{24}$				
$\sqrt{100}$				
$-\sqrt{81}$				
$-\sqrt{25}$				
$\sqrt{361}$				
$\sqrt{30}$				